

1.

$$\frac{60 \cdot 5}{1.602 \cdot 10^{-19}} = 1.873 \times 10^{21} \text{ electrons}$$

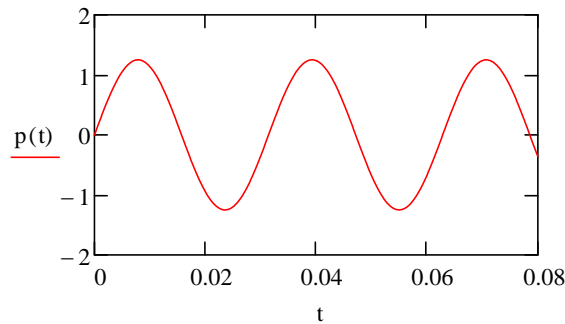
2. $L := 10^{-3} \quad v(t) := L \cdot \left[\frac{d}{dt} (5 \cdot \sin(100 \cdot t)) \right] \rightarrow \frac{\cos(100 \cdot t)}{2}$

$$i(t) := 5 \cdot \sin(100 \cdot t)$$

$$p(t) := 5 \cdot \sin(100 \cdot t) \cdot \frac{\cos(100 \cdot t)}{2} \rightarrow \frac{5 \cdot \cos(100 \cdot t) \cdot \sin(100 \cdot t)}{2} \Rightarrow \frac{5}{4} \cdot \sin(200 \cdot t)$$

The maximum value of the instantaneous power is $\frac{5}{4}$ W.

$$t := 0, 0.0002 .. 0.08$$

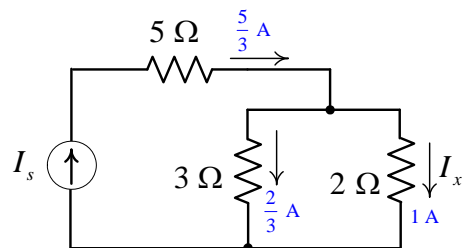


3. $R_1 := 10 + \frac{30 \cdot 60}{30 + 60} + 30 = 60$

$$\left[\left(\frac{R_1 \cdot 20}{R_1 + 20} + 5 \right)^{-1} + \frac{1}{20} \right]^{-1} = 10 \quad \Omega$$

4. 本題除了傳統解法，亦可用「比例原則」求解。假設 I_x 為 1A，則電路電流分佈如右圖所示，電路之總功率消耗為

$$1^2 \cdot 2 + \left(\frac{2}{3} \right)^2 \cdot 3 + \left(\frac{5}{3} \right)^2 \cdot 5 \rightarrow \frac{155}{9} \quad \text{W}$$



但已知實際功率消耗為 155 W，既然功率與電流平方成正比，故實際電流 I_x 為

$$\sqrt{\frac{155}{\frac{155}{9}}} = 3 \quad I_x := 3 \quad \text{A}$$

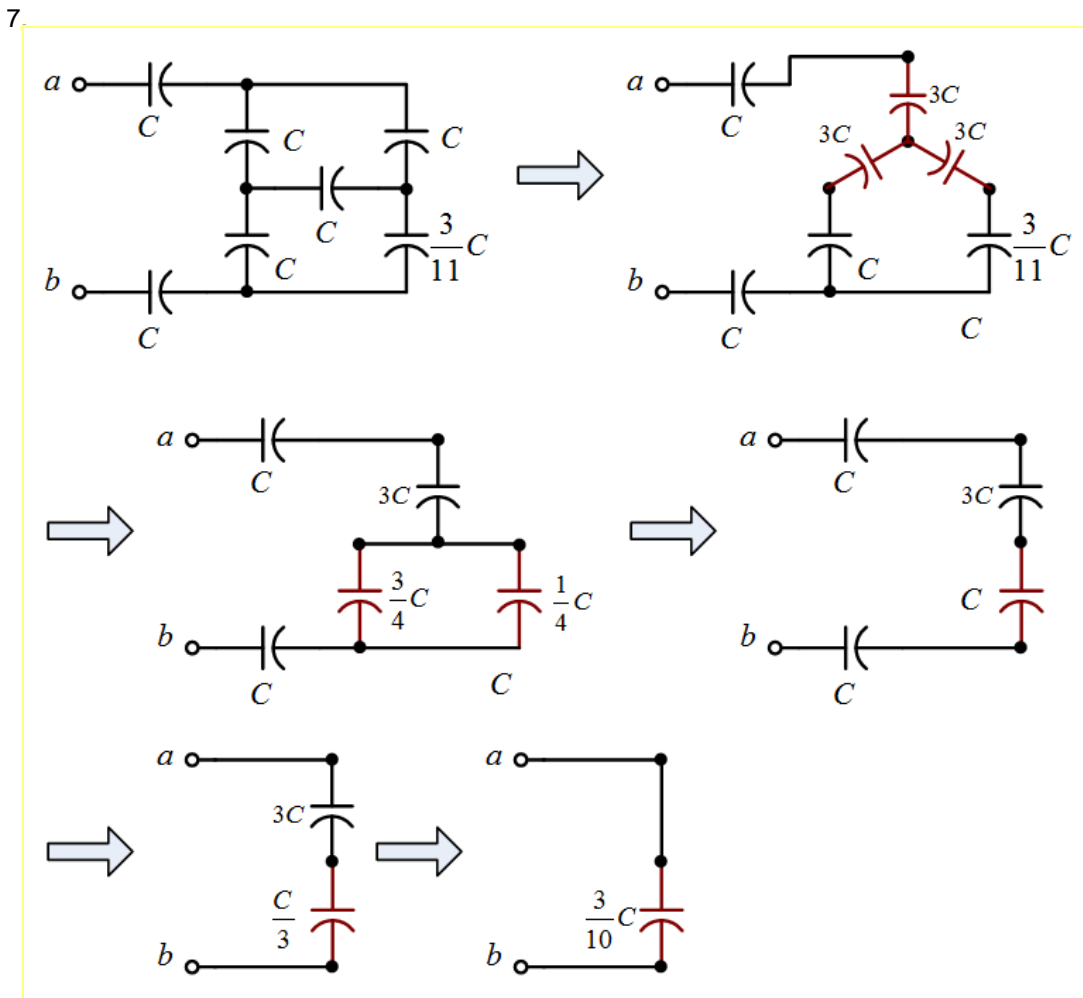
$$I_s \text{ 也可依比例求得} \quad I_s := 3 \cdot \left(\frac{5}{3} \right) = 5 \quad \text{A}$$

5. $V_{AC} := 24 \text{ V}$ $i := 4 \text{ A}$

6. Write the KCL equation for the upper node.

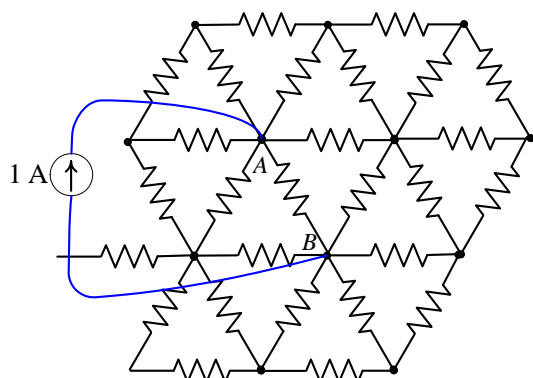
$$i_s - i_x + a \cdot i_x = i_s - \frac{V_s}{R} + a \cdot \frac{V_s}{R} = i_s - \frac{V_s}{R}(1 - a) = 0$$

$$\frac{V_s}{i_s} = \frac{R}{1 - a}$$



8. $R + \frac{2R \cdot R_{eq}}{2R + R_{eq}} = R_{eq}$ $R_{eq}^2 - R \cdot R_{eq} - 2R^2 = 0$ $R_{eq} = 2R$

9.



See the figure to the left (Fig. 9-1). We apply a 1A current source at nodes A and B, and try to find the voltage V_{AB} .

Fig. 9-1

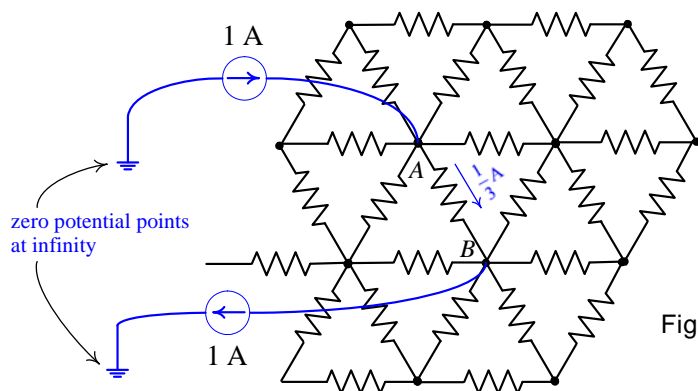


Fig. 9-2

The circuit in Fig. 9-1 is equivalent to that shown in Fig. 9-2 in which a 1-A current flows into node A and the other 1-A current flows out of node B. One of the two terminals of both current sources is connected to the infinity.

By **superposition**, we apply the current source one by one. When the upper current source is applied, the currents flowing in the six resistors connecting to node A must be the same **by symmetry** and are equal to $1/6$ A. Similarly, when the lower current source is applied, the currents flowing in the six resistors connecting to node B are also identical and equal to $1/6$ A. The result is that the current flowing in the resistor connecting nodes A and B must be $1/3$ A. We can conclude that the resistance between nodes A and B is therefore $1/3 \Omega$.